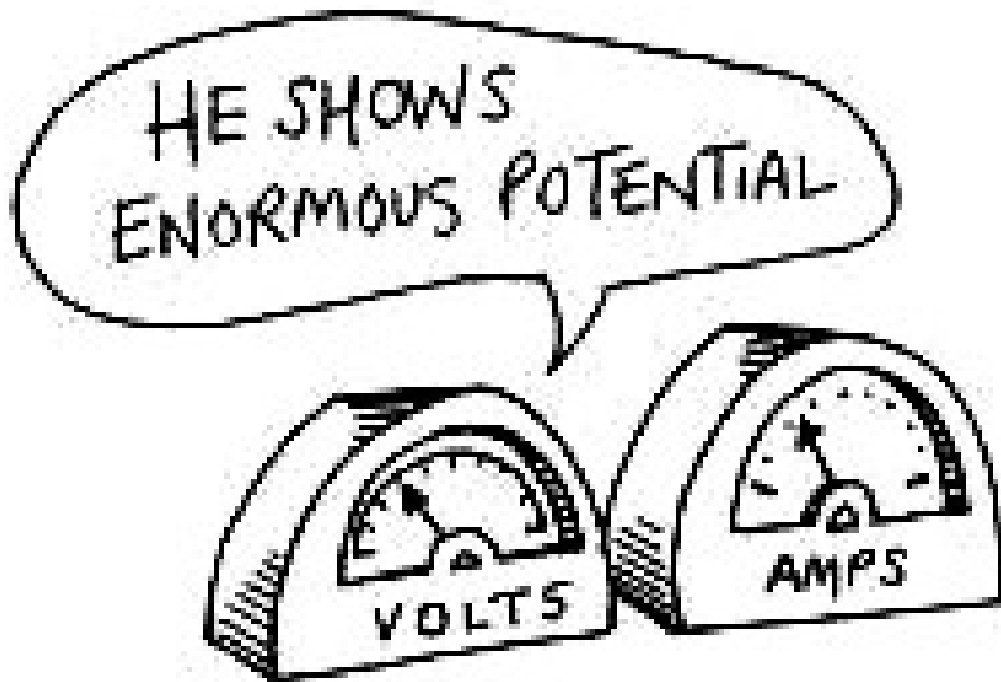
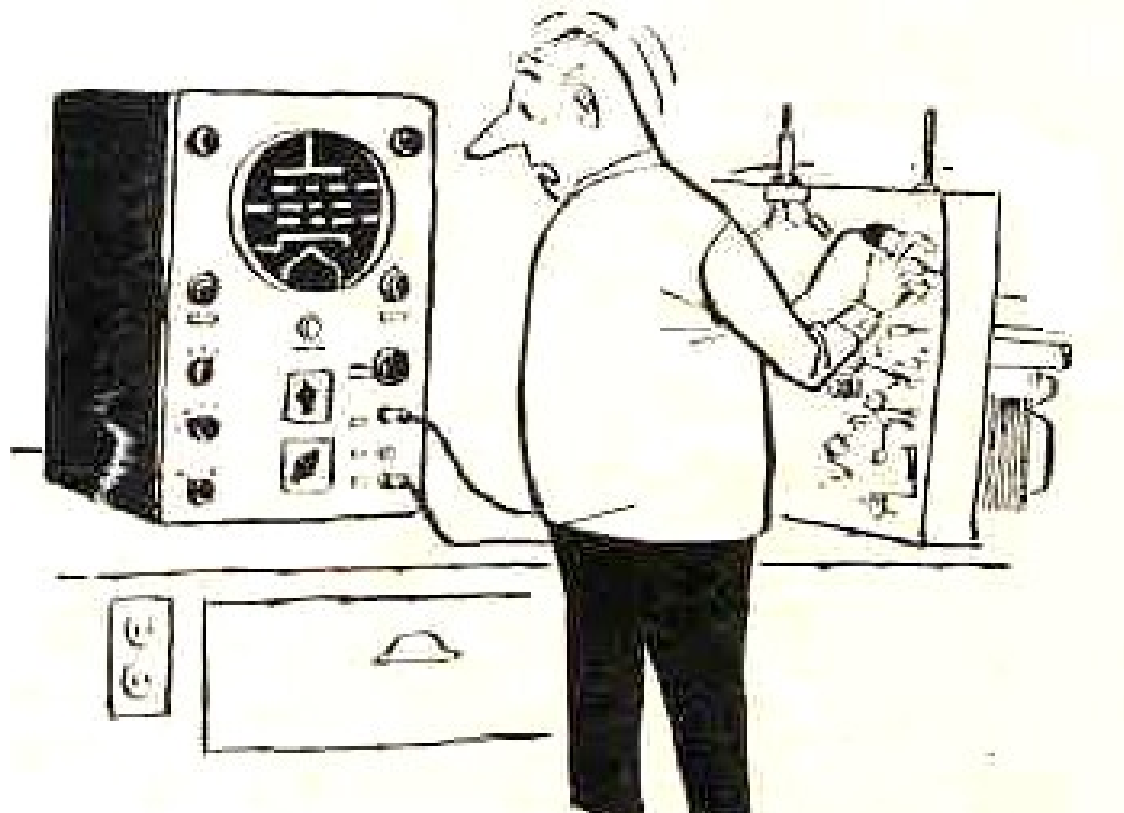


The New England Radio Discussion Society *electronics course (Phase 3 cont'd)*



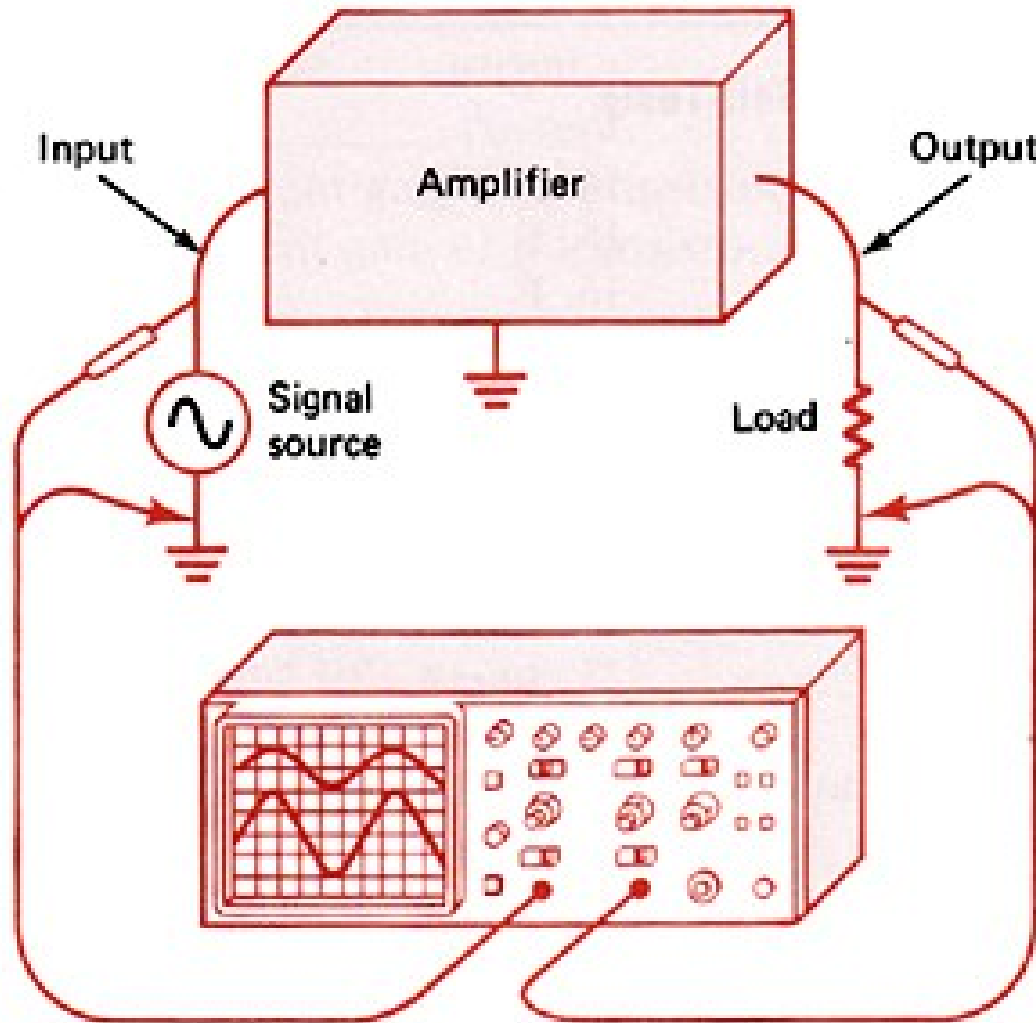
Introduction to transistors

Let's start with a few *amplifier* fundamentals!



Who needs an amplifier, anyway?





$$\text{Gain} = \frac{\text{output}}{\text{input}}$$

An *amplifier* is a circuit “block” that provides more output than its input.

Here we’re using a dual-trace oscilloscope to compare input and output *signal levels*.

The ratio of an amplifier's input to its output is called ***gain***, and gain is indicated by the upper-case letter A.

Gain can be expressed as a function of voltage ratios.

$$A_V = \frac{V_{\text{out}}}{V_{\text{in}}} = \text{voltage gain}$$

Voltage gain is usually used for what are dubbed ***small-signal*** amplifiers.

Ratios can also be expressed as current ***gain***.

$$A_I = \frac{I_{\text{out}}}{I_{\text{in}}} = \text{current gain}$$

Gain can also be expressed for power (W).

In this example the output power is 8 watts and the input is 500-mW.

$$A_P = \frac{P_{\text{out}}}{P_{\text{in}}} = \frac{8 \text{ W}}{0.5 \text{ W}} = 16$$

Logarithms are used to express ratios as *decibels (dB)*.

The loudness response of the human ear is not linear.

It is *logarithmic*.



Common logarithms are *powers of 10*. For example,

$$10^{-3} = 0.001$$

$$10^{-2} = 0.01$$

$$10^{-1} = 0.1$$

$$10^0 = 1$$

$$10^1 = 10$$

$$10^2 = 100$$

$$10^3 = 1000$$

The logarithm of 10 is 1. The logarithm of 100 is 2. The logarithm of 1000 is 3. The logarithm of 0.01 is -2 . Any positive number can be converted to a common logarithm. Logarithms can be found with a scientific calculator. Enter the number and then press the “log” key to obtain the common logarithm for the number.

$$\text{dB power gain} = 10 \times \log_{10} \frac{P_{\text{out}}}{P_{\text{in}}}$$

Gain in decibels is based on *common logarithms*. Common logarithms are based on 10. This is shown in the above equation as \log_{10} (the base is 10). Hereafter the base 10 will be dropped, and log will be understood to mean \log_{10} .

NOTE: a dB is a tenth of a *Bel*. The Bel is named after Alexander Graham Bell.

Here is the dB equation for voltage:

$$\text{dB voltage gain} = 10 \times 2 \times \log \frac{V_{\text{out}}}{V_{\text{in}}}$$

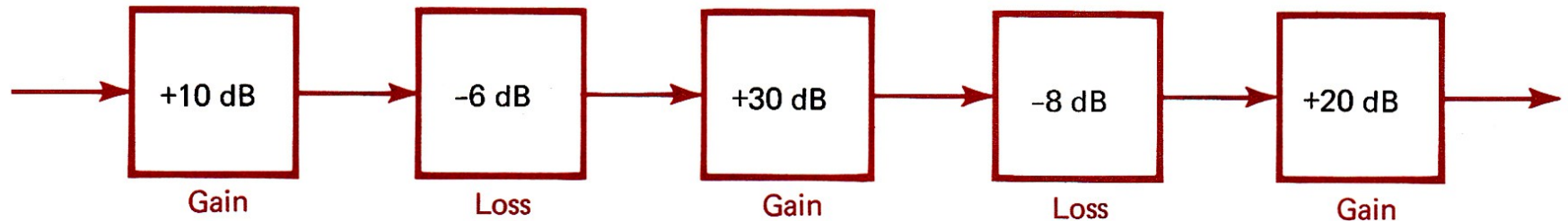


$$= 20 \times \log \frac{V_{\text{out}}}{V_{\text{in}}}$$

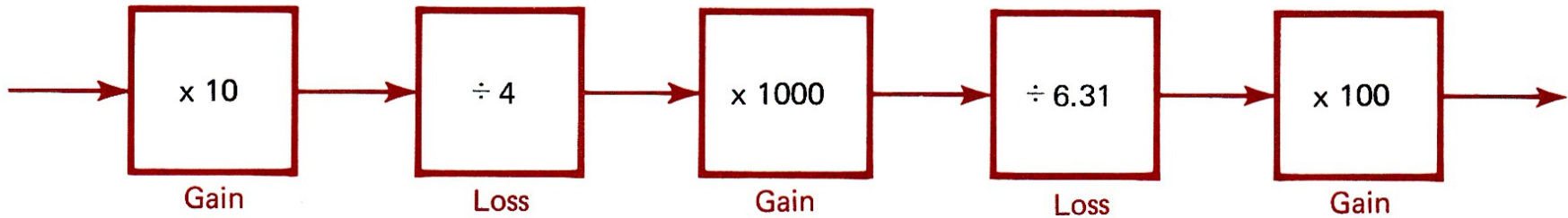
Common Values for Estimating dB Gain and Loss

Change	Power	Voltage
Multiplied by 2	+3 dB	+6 dB
Divided by 2	-3 dB	-6 dB
Multiplied by 10	+10 dB	+20 dB
Divided by 10	-10 dB	-20 dB

The dB is a useful unit when comparing gain and *loss* in various electronics “stages”



Gain and loss in decibels



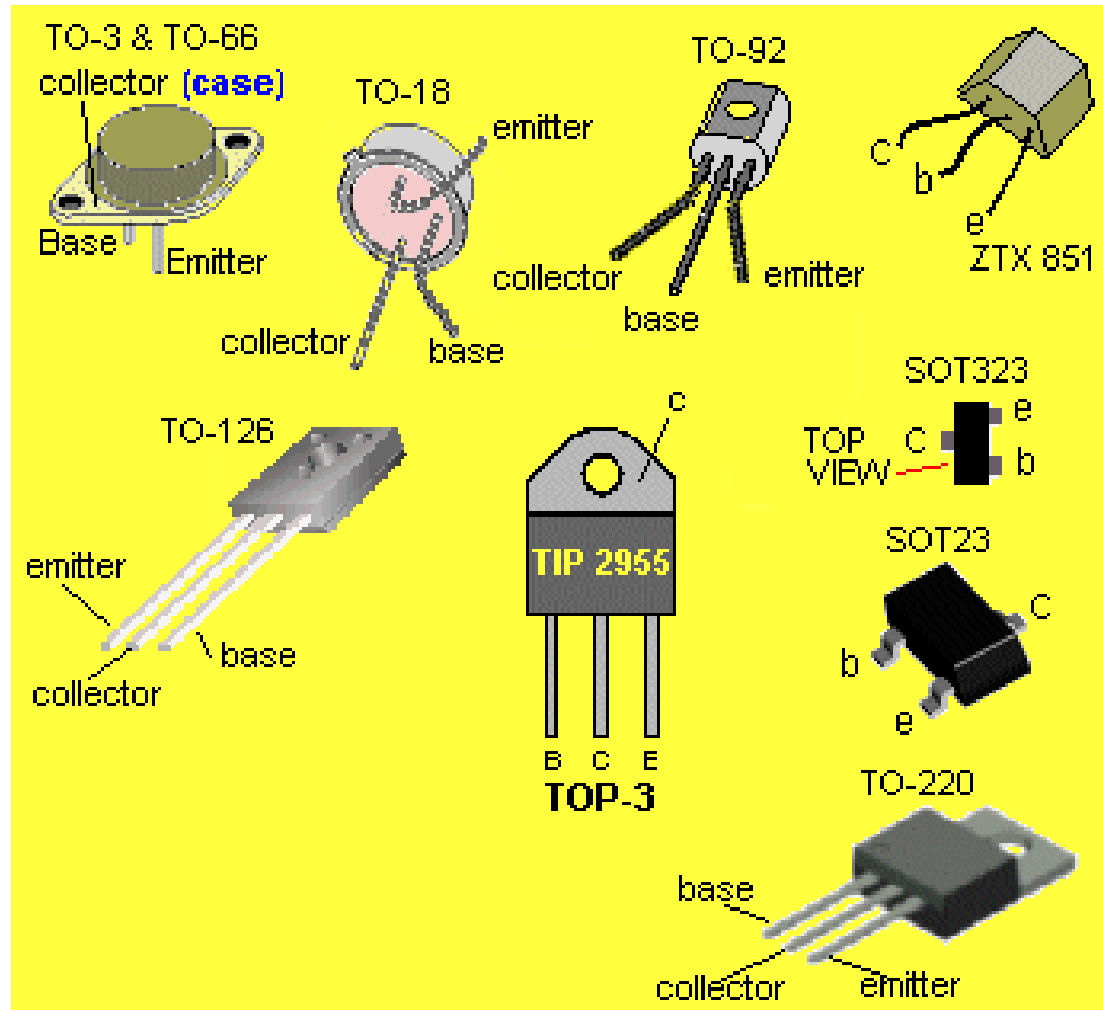
Gain and loss in ratios.

**The solid-state “transfer resistor” is at
the heart of the
amplifier.**

**It’s commonly known as the
*trans-istor.***

***Sometimes the acronym **XSTR** is used
as an abbreviation for the word
transistor.***

Typical transistor packages



So, what's inside a XSTR?

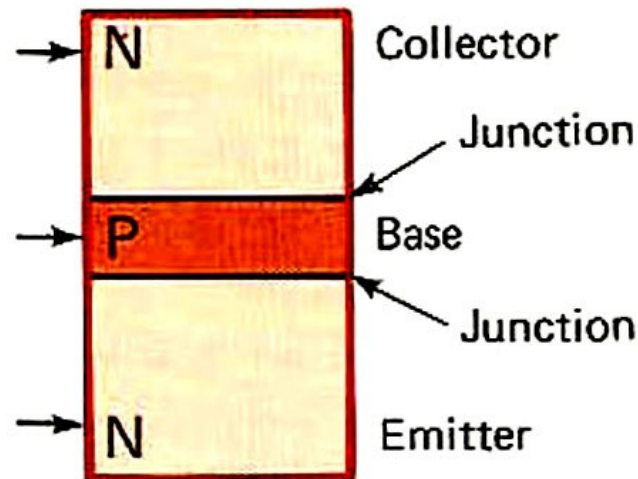


A *bipolar* NPN transistor's structure

Very lightly doped. This region "collects" the current carriers.

Very lightly doped. This region "controls" the flow of current.

Heavily doped. This region "emits" the current carriers.



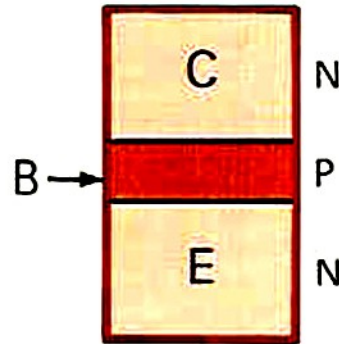
NPN transistor structure

The *collector* collects the carriers. The emitter emits the carriers. The base acts as the control region. The *base* can allow none, some, or many carriers to flow from the emitter to the collector.

Bipolar junction transistors are also sometimes referred to as *BJTs*.

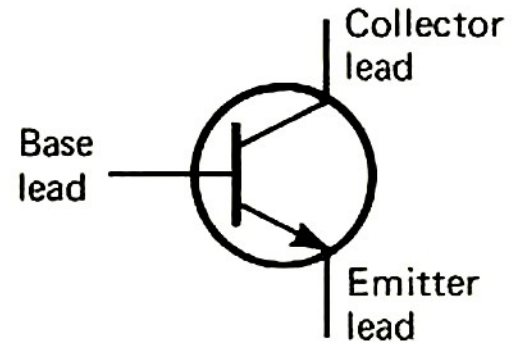
NPN = “Not Pointing iN

NPN structure



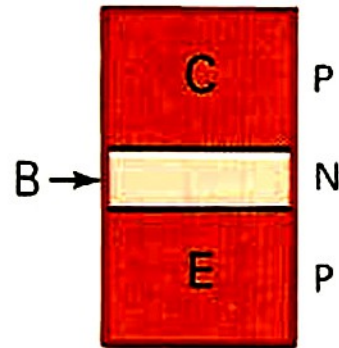
Positive base region between two negative regions

NPN schematic symbol



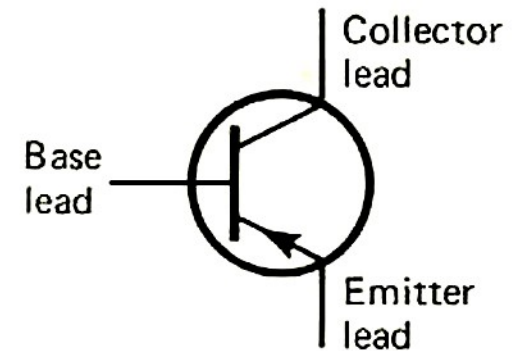
There are also PNP bipolar junction transistors.

PNP structure

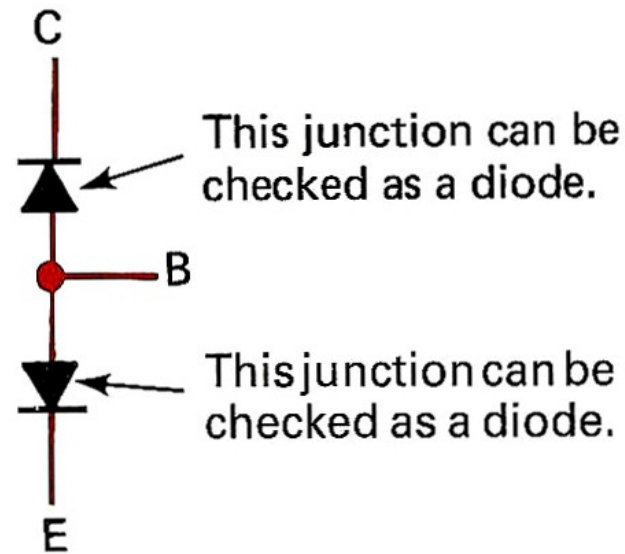
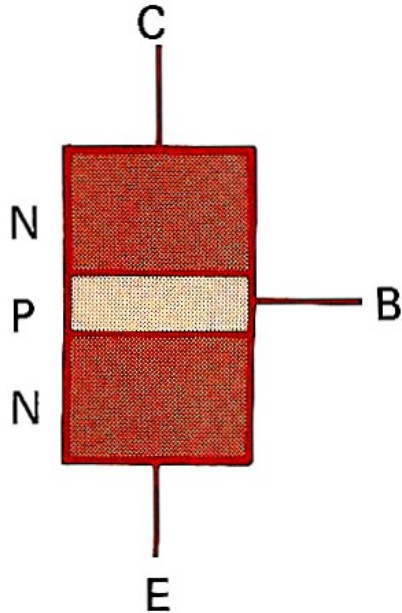


Negative base region between two positive regions

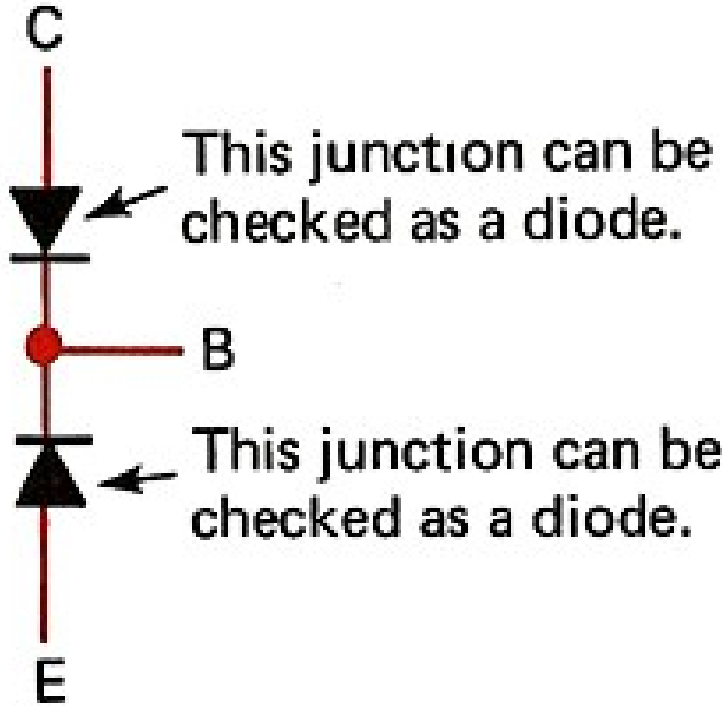
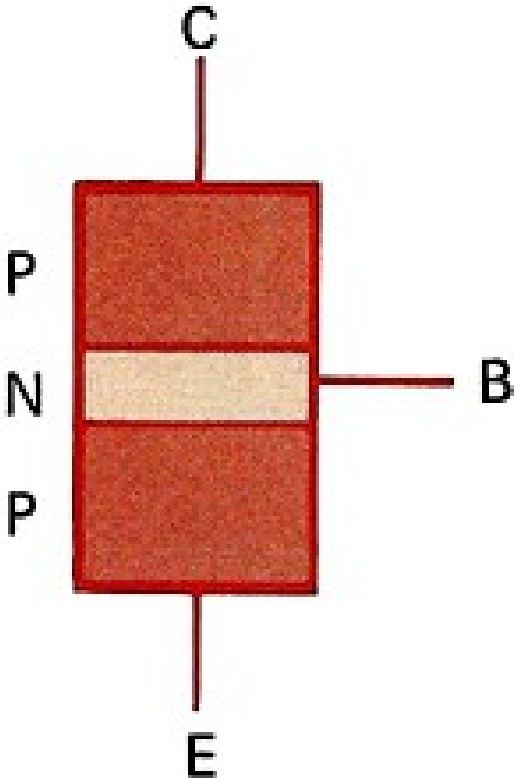
PNP schematic symbol



You can think of a BJT's junctions as two back-to-back diodes.



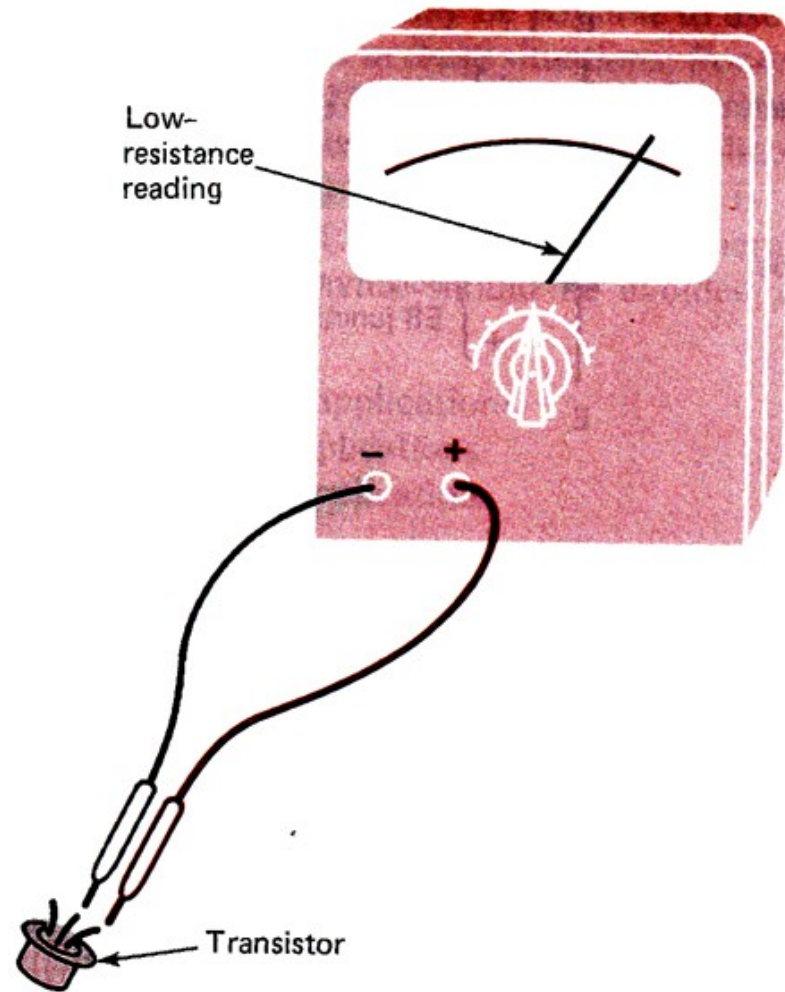
Ditto for PNP bipolar devices



N1QX's Simpson 260 VOM

You can check BJT “diode” junctions (*not soldered into a circuit*) with an ohmmeter that has high enough voltage across its probes to turn on a PN “diode” junction in the forward direction.

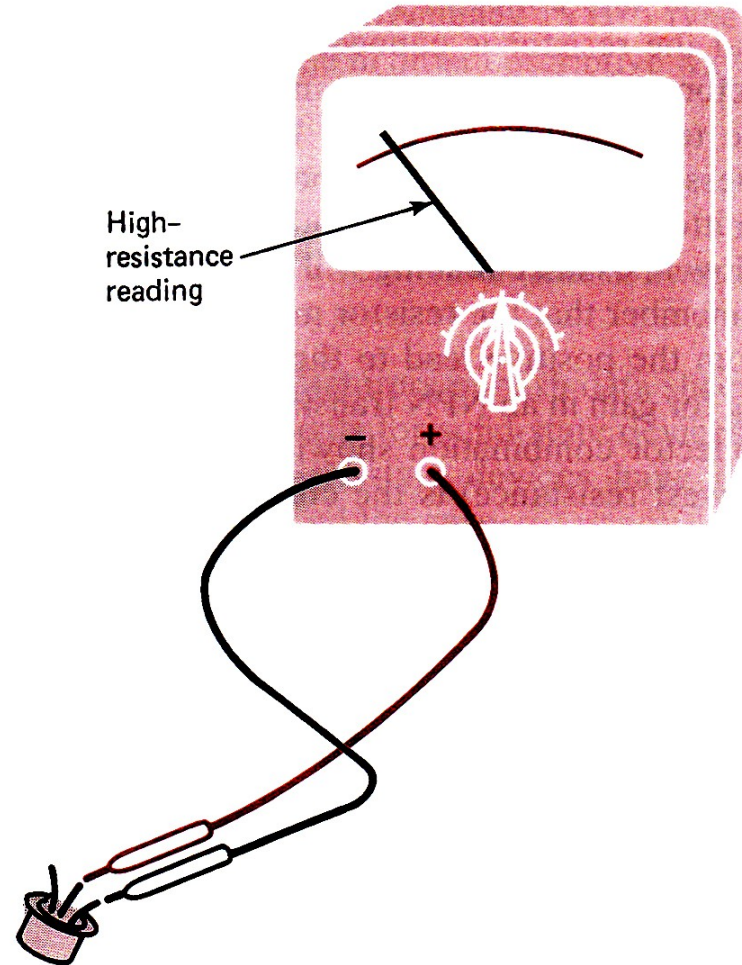
Your ohmmeter will read quite low (*i.e.* 15 ohms).



Here's the same BJT junction under test, with the polarity of the ohmmeter leads reversed.

The "diode" is now reverse biased, and the ohmmeter reads very high (*i.e.* 25-kohms)

Simpson 260 VOM



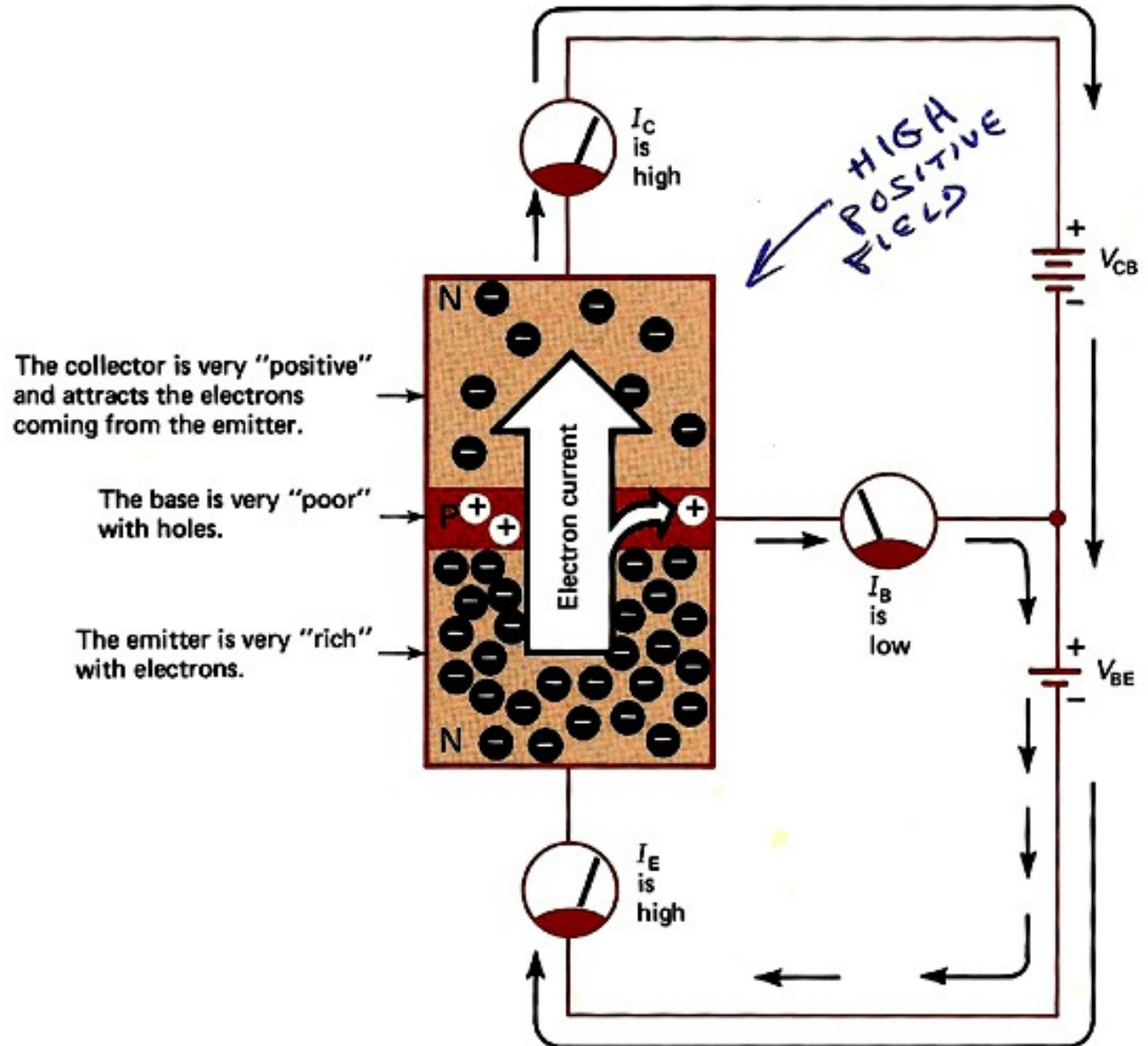
A typical value for the B-to-C resistance might be 10,000 ohms. It's high since the B-C junction is reverse biased.

On the other hand, the B-E resistance might be 100 ohms or so. It's low because the B-E junction is forward biased.

What happens inside the NPN xstr?

(1) In this diagram the emitter-to-base junction is forward biased.

(2) The collector-to-base junction is always reverse biased.



(1) The ***collector*** collects the carriers.

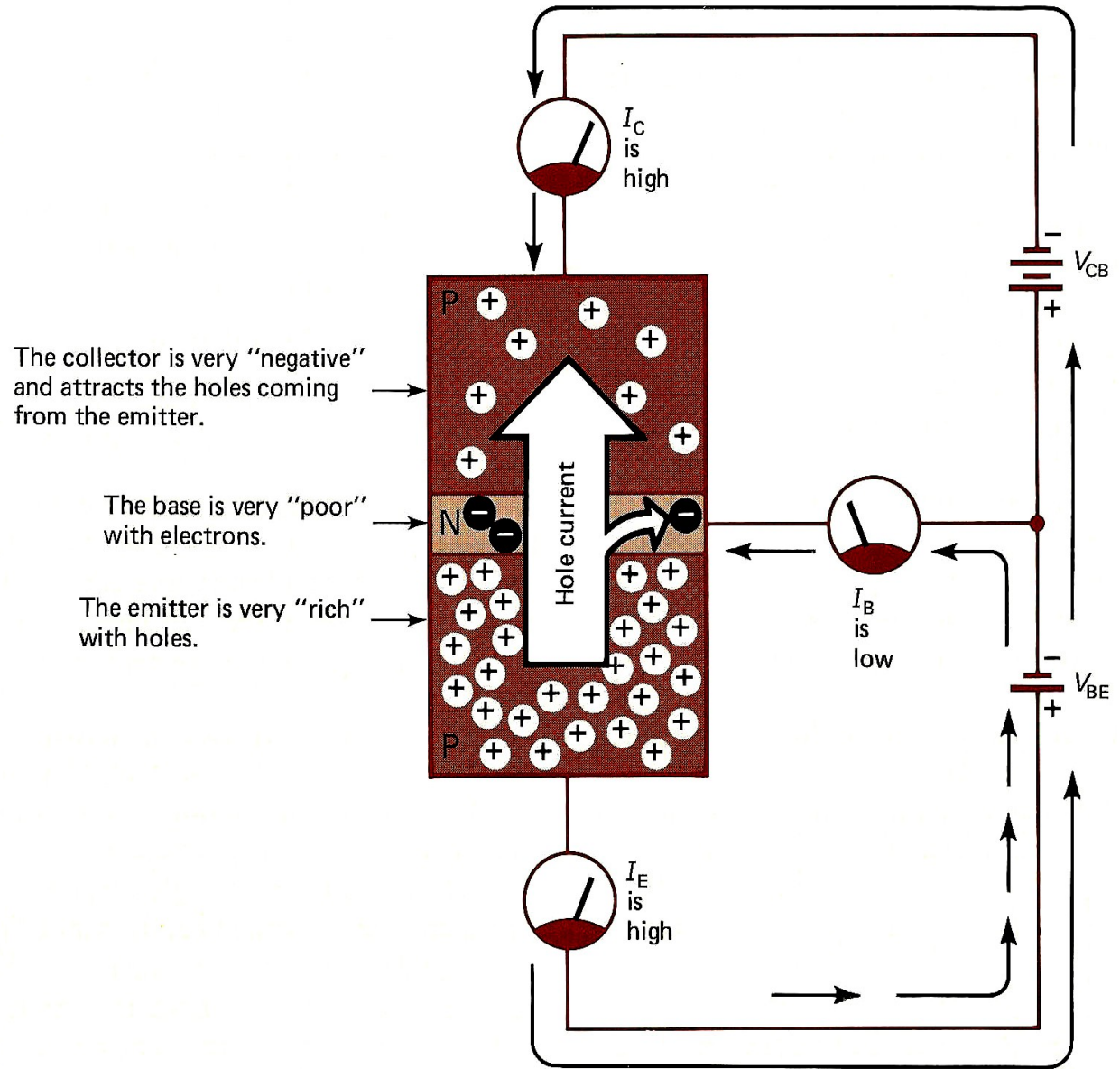
(2) The ***emitter*** emits the carriers.

(3) The ***base*** acts as a control region.
It is ***extremely*** thin.

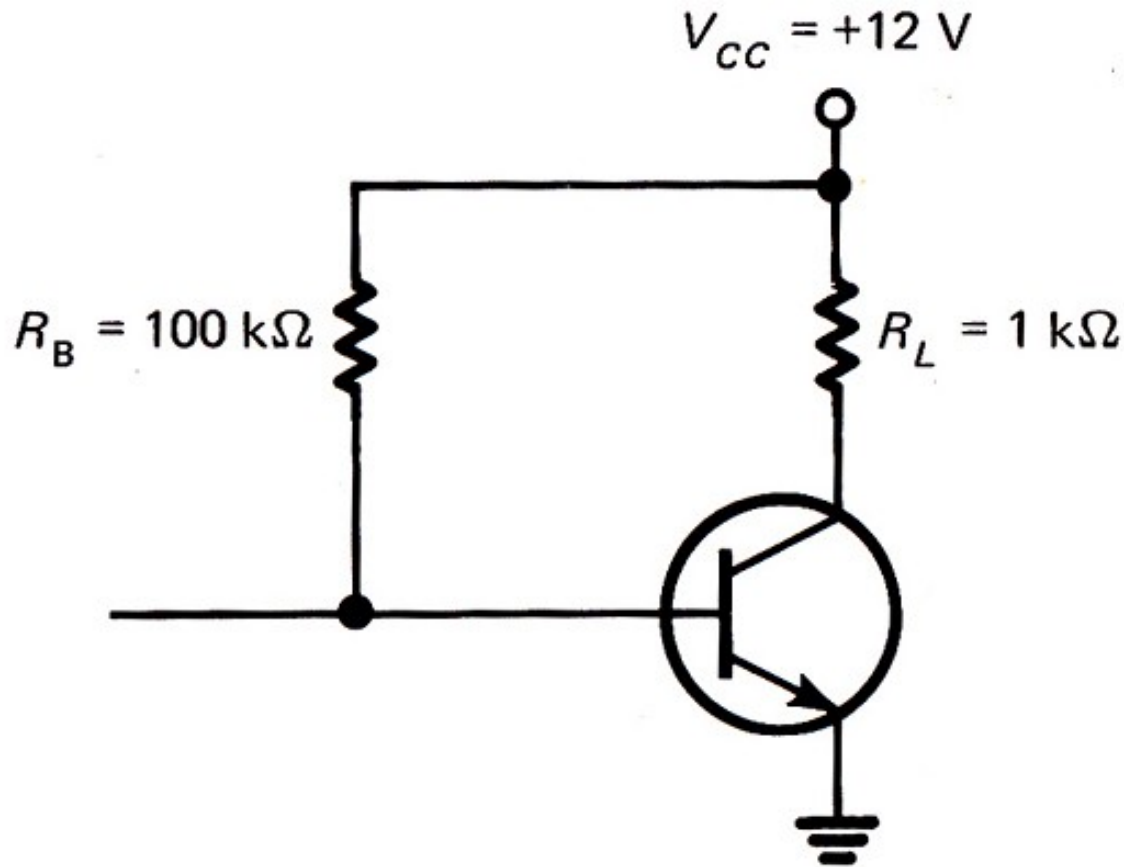
The base can permit (a) no carriers, or (b) some carriers, or (c) many carriers to flow from emitter to collector.

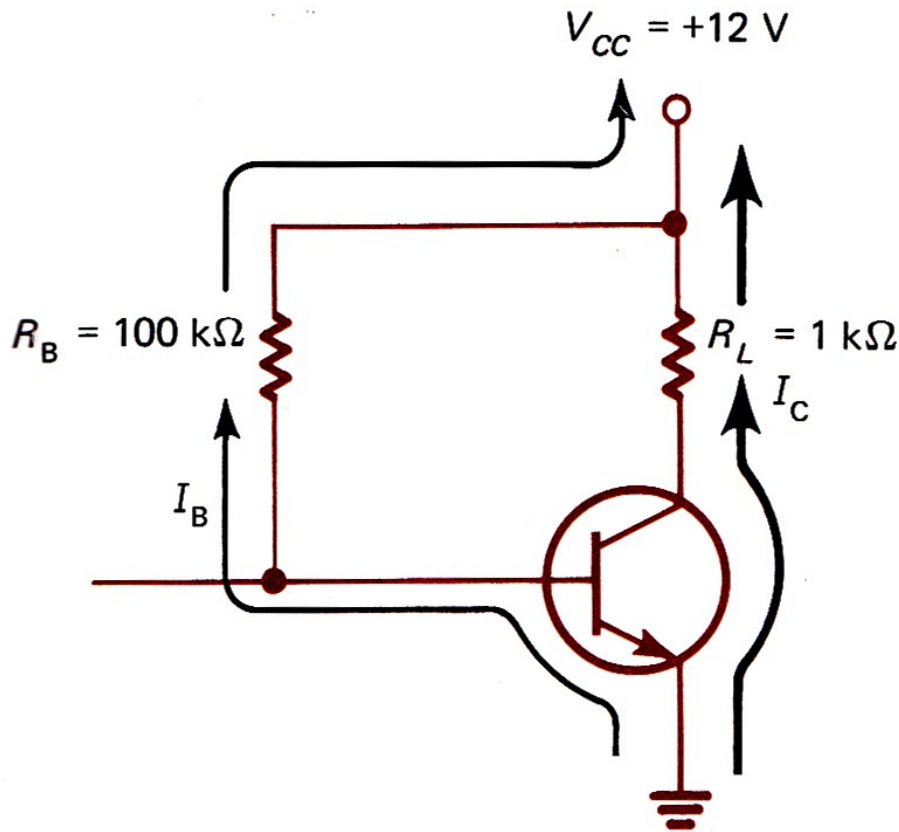
Here's current flow in a PNP BJT.

Note how the B-E junction is again forward biased in this example, and how the B-C junction is always reverse biased.



Here's how an NPN xstr might be connected in an actual 12V circuit. This configuration is known as a *common-emitter* amplifier.





**A very small
base current
can cause a
large
emitter-to-
collector
current to
flow.**

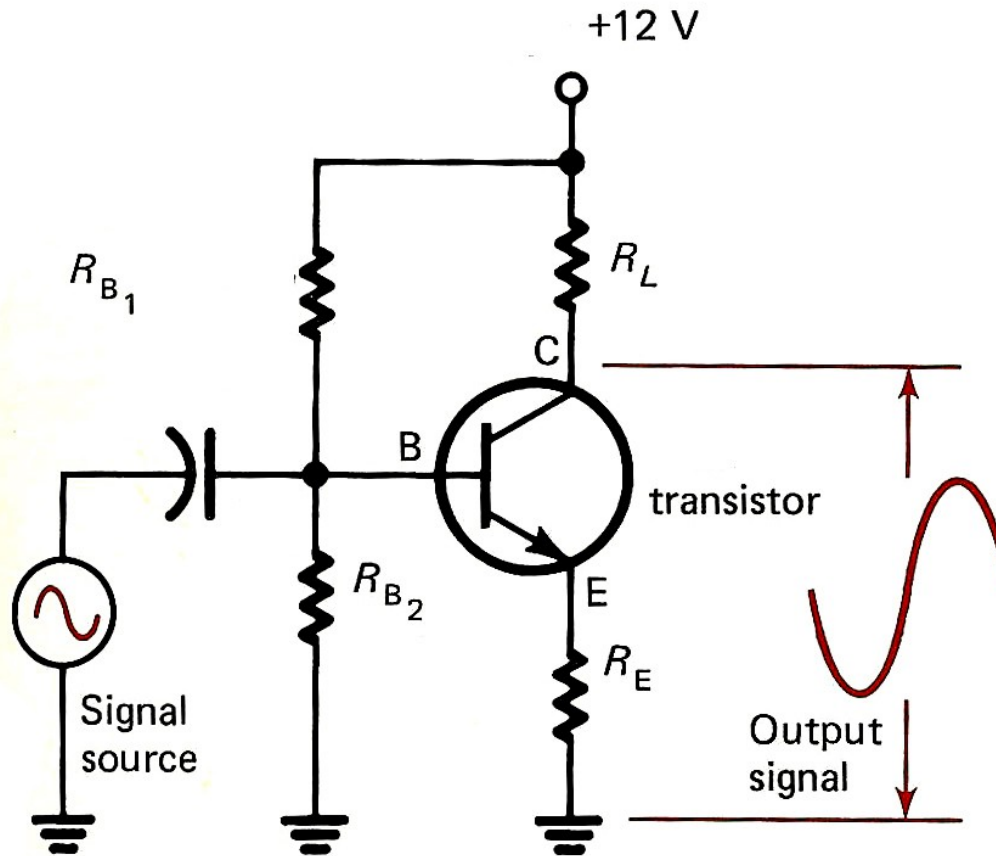
The gain of the transistor is called beta, or hFe . It is called out in a device's spec sheet.

The hFe multiplied by the base current reveals how much collector current can flow in the common-emitter simple circuit.

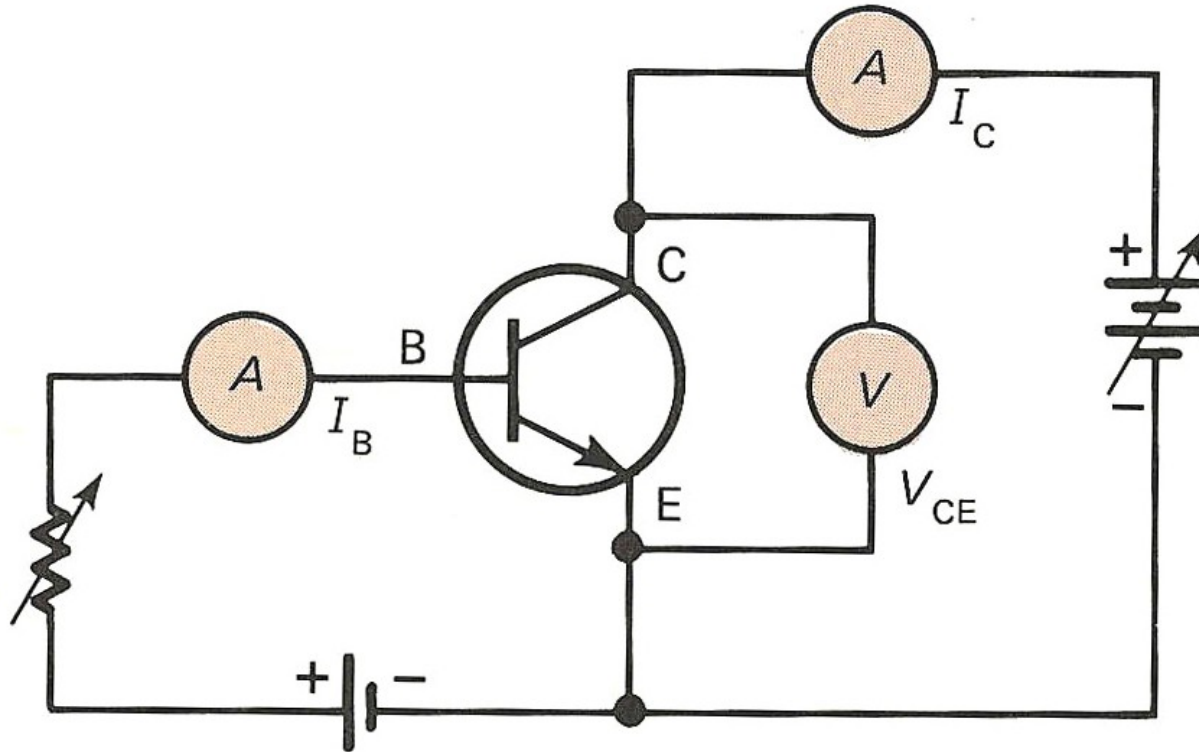
In practice,, the *beta* of a BJT varies from transistor to transistor, even for the same part number!

That makes the simple amplifier unsuitable for all but the most basic applications, as it is sensitive to beta and temperature.

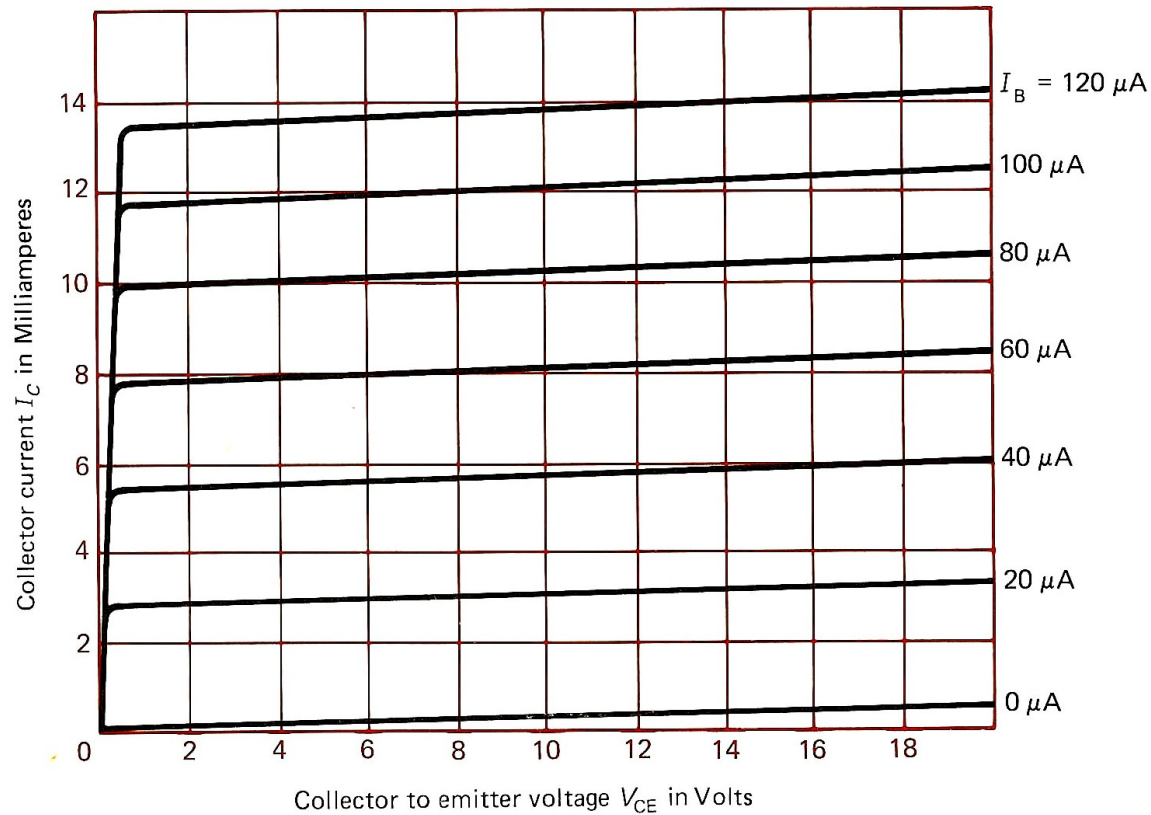
Here's a better NPN circuit, showing AC input and output signals.

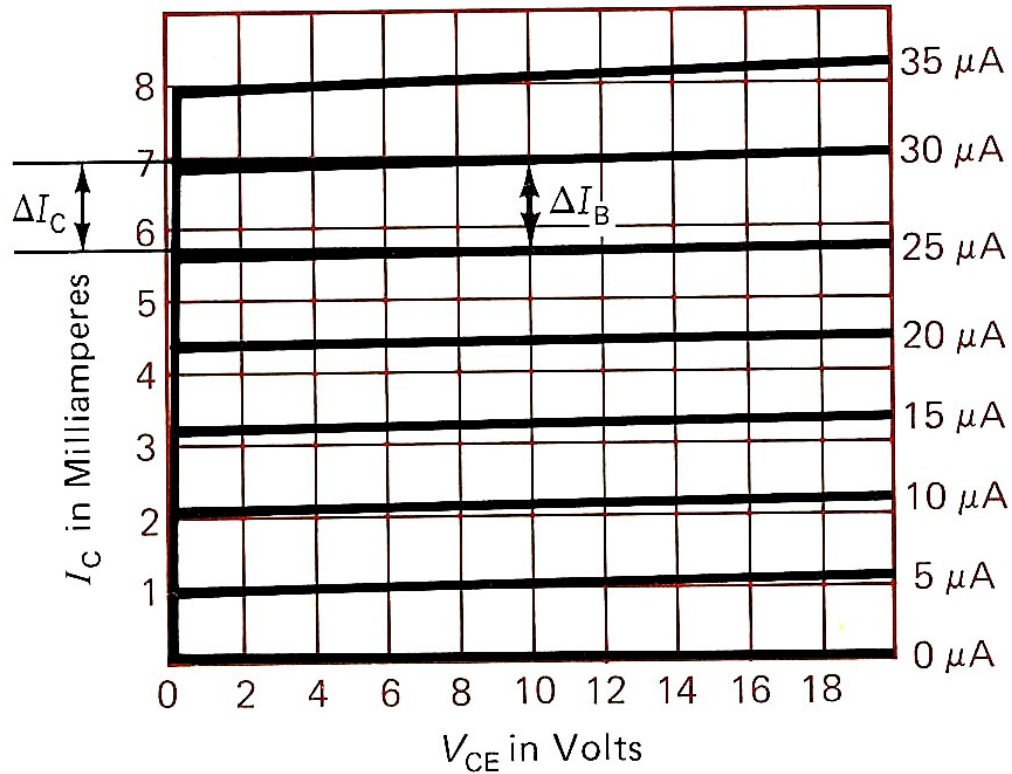


Instrumentation can collect data about the phenomena



The data can be plotted as a “collector family” of curves

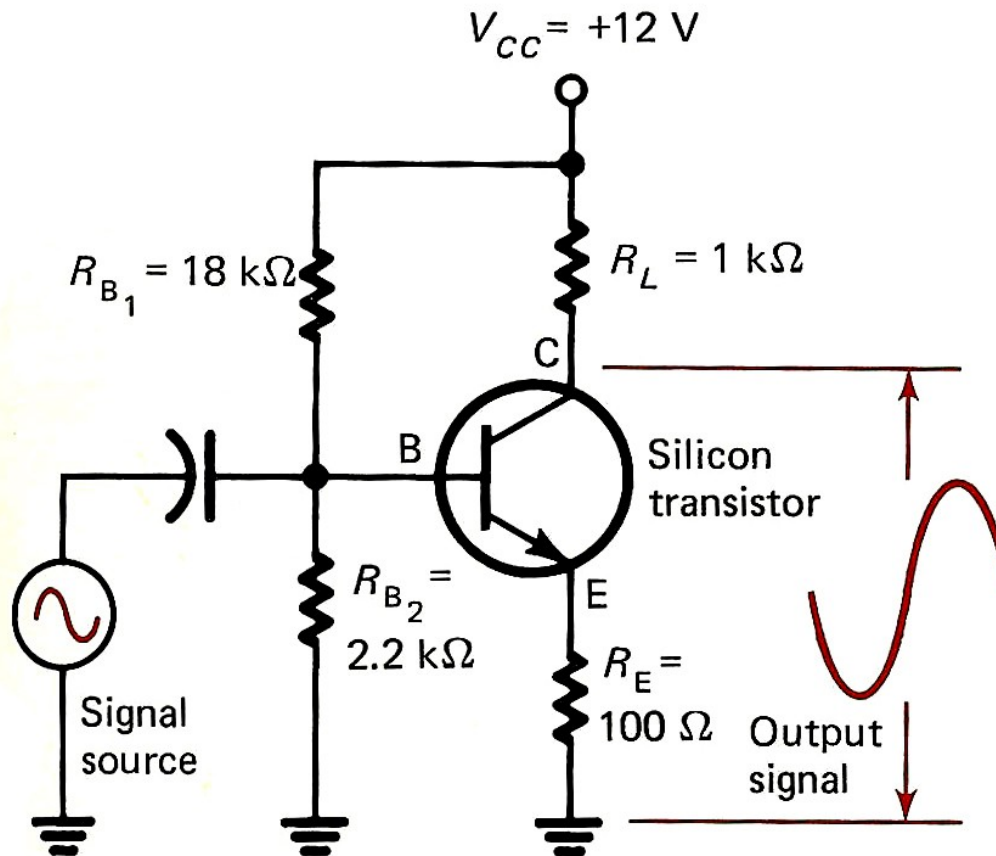




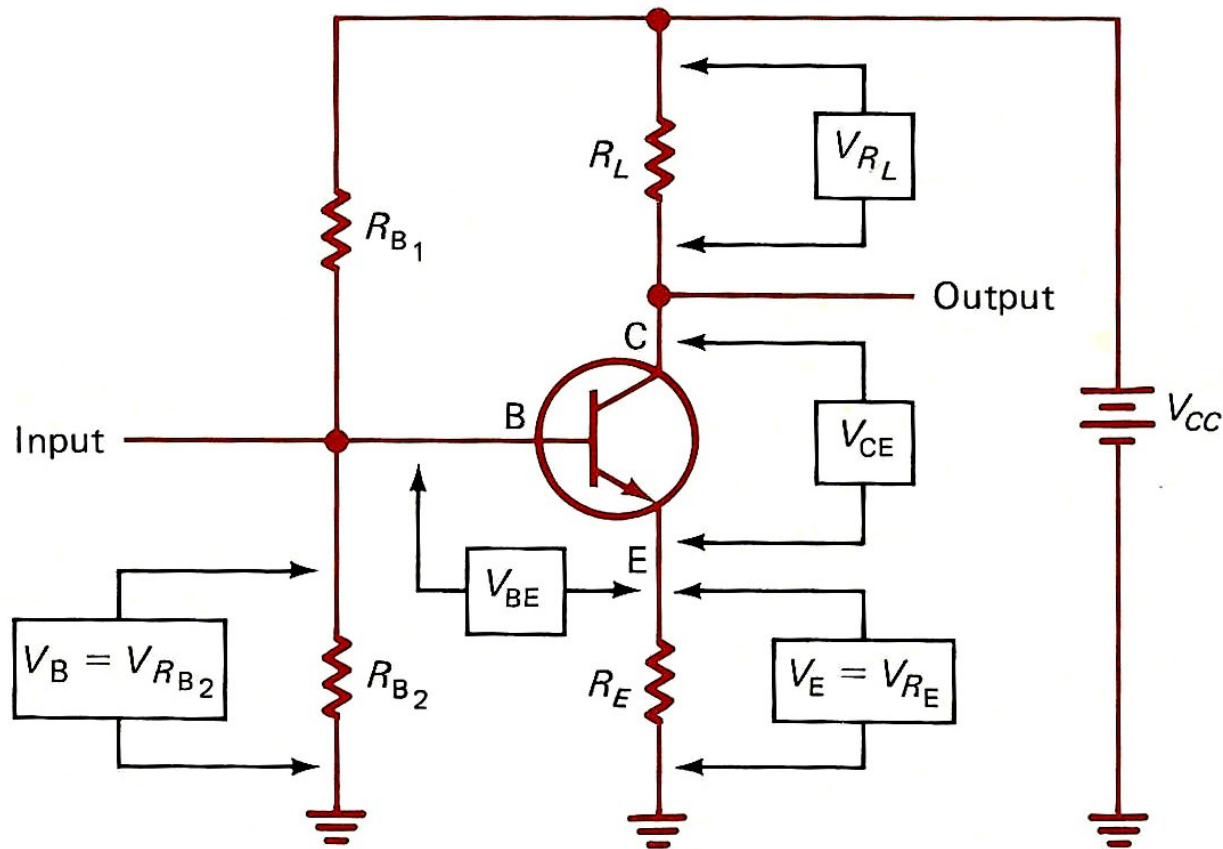
The curves can be used to determine h_{Fe} (gain)

$$\beta_{ac} = h_{fe} = \frac{\Delta I_C}{\Delta I_B} = \frac{1.3 \text{ mA}}{5 \mu A} = 260$$

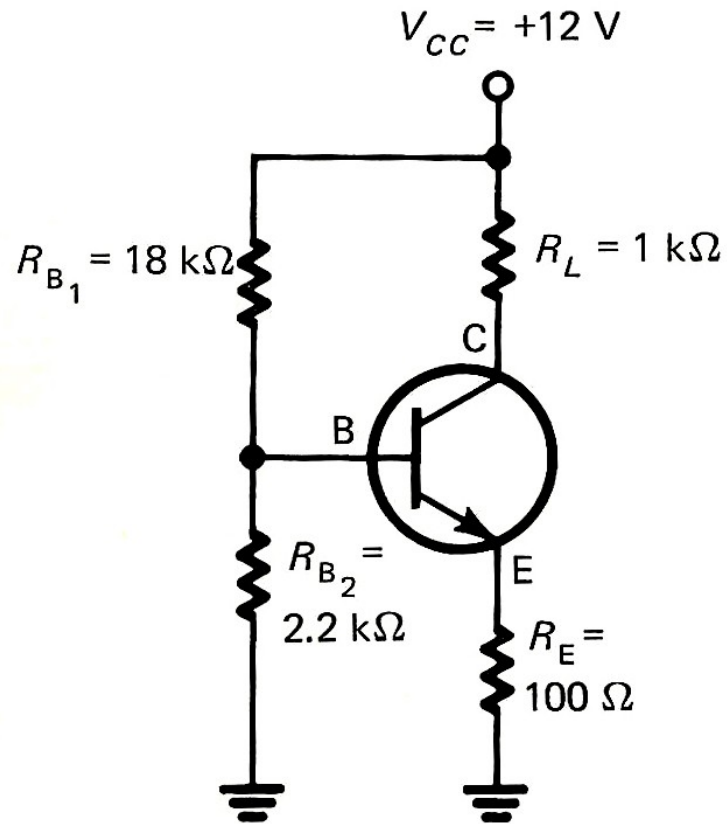
Let's take a closer look at the common-emitter circuit, but with some typical values



Voltage drops in the example common-emitter circuit



Our example circuit



Determine the base voltage

Using Ohm's Law:

$$R_{b1} + R_{b2} = 18 \text{ kohms} + 2.2 \text{ kohms} = 20.2 \text{ kohms}$$

$$\text{Then } I = E/R = 12V/20.2 \text{ kohms} = 594 \text{ uA}$$

$$\text{Then } E_b = I \times R_{b2} = 594 \text{ uA} \times 2.2 \text{ kohms} = 1.307V$$

The base voltage reveals the emitter voltage

The base to emitter “diode” drop is 0.7V, so the emitter voltage ***MUST*** be

$$1.307\text{V} - 0.7\text{V} = 0.607\text{V} = E_e.$$

Knowing that, you can determine the emitter resistor’s current flow.

$$I_e = E_e / R_e = 0.607\text{V} / 100 \text{ ohms} = 6.07 \text{ mA}.$$

The collector current can be assumed to be the same as the emitter current, as the emitter-to-base current is *very, very* low (usually less than 1% of the collector current).

So, the collector current in this example circuit also equals 6.07 mA, or 6 mA amongst friends.

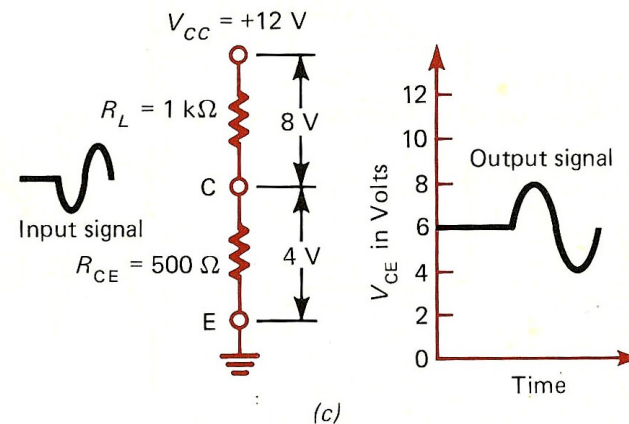
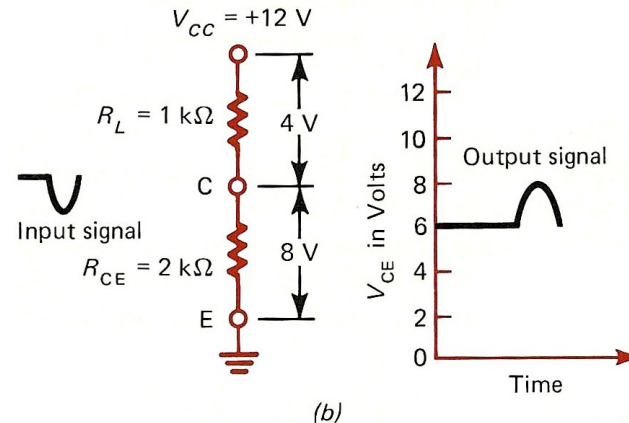
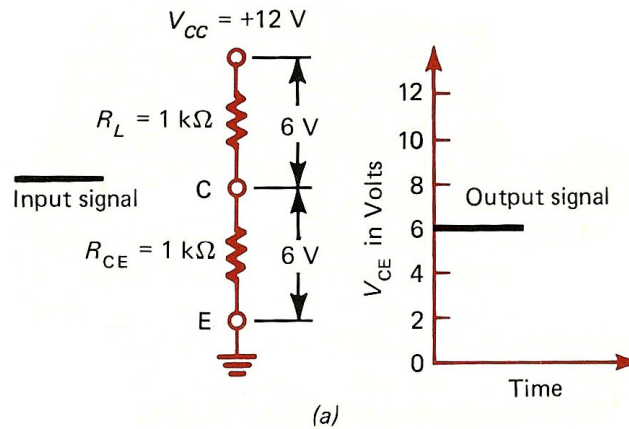
Using Ohms Law you can multiply the collector current and the collector “load” resistor value to determine the IR drop across the collector resistor.

So, $6 \text{ ma} \times 1000 \text{ ohms} = 6\text{V}$. This is half the applied voltage (V_{cc}). Therefore you can say the transistor is operating in the middle of its range. Put another way, the transistor’s collector voltage can swing from 0V to 6V .

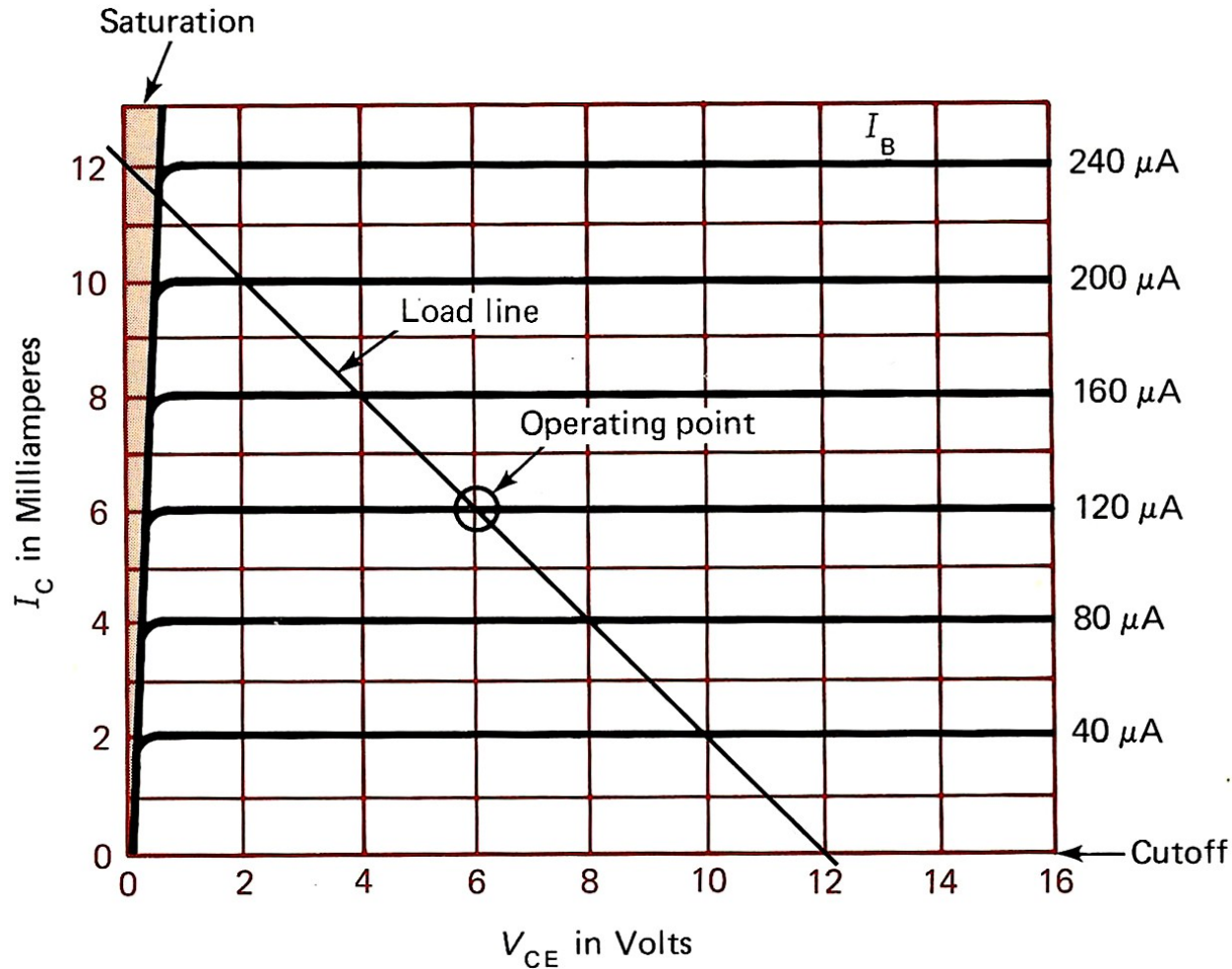
Here's how an output swing, as a sine wave, is developed, assuming a sine wave is applied to the base in this example.

Notice how the output is 180-degrees out-of-phase with the input.

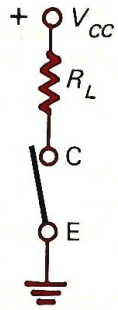
The common-emitter amplifier is an inverter.



Add a visualization tool called the “load line” to the collector family of curves

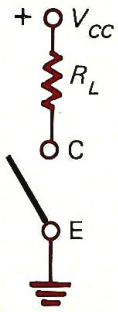


Some conditions of conduction



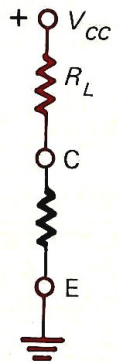
Saturation
 $V_{CE} = 0$ and I_C is maximum

(a)



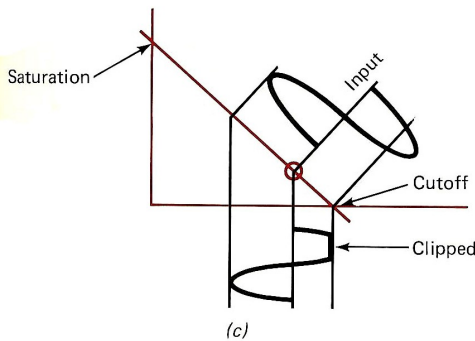
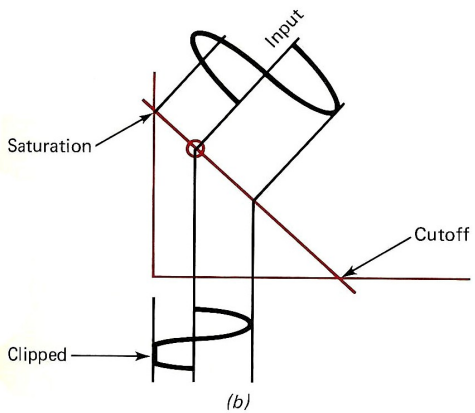
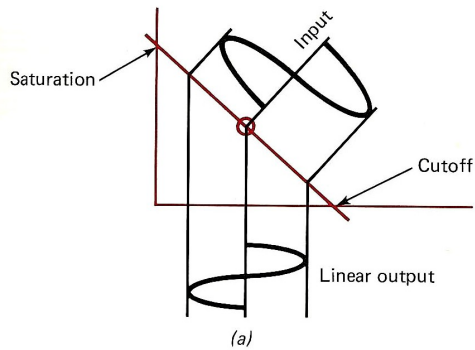
Cutoff
 $V_{CE} = V_{CC}$ and $I_C = 0$

(b)



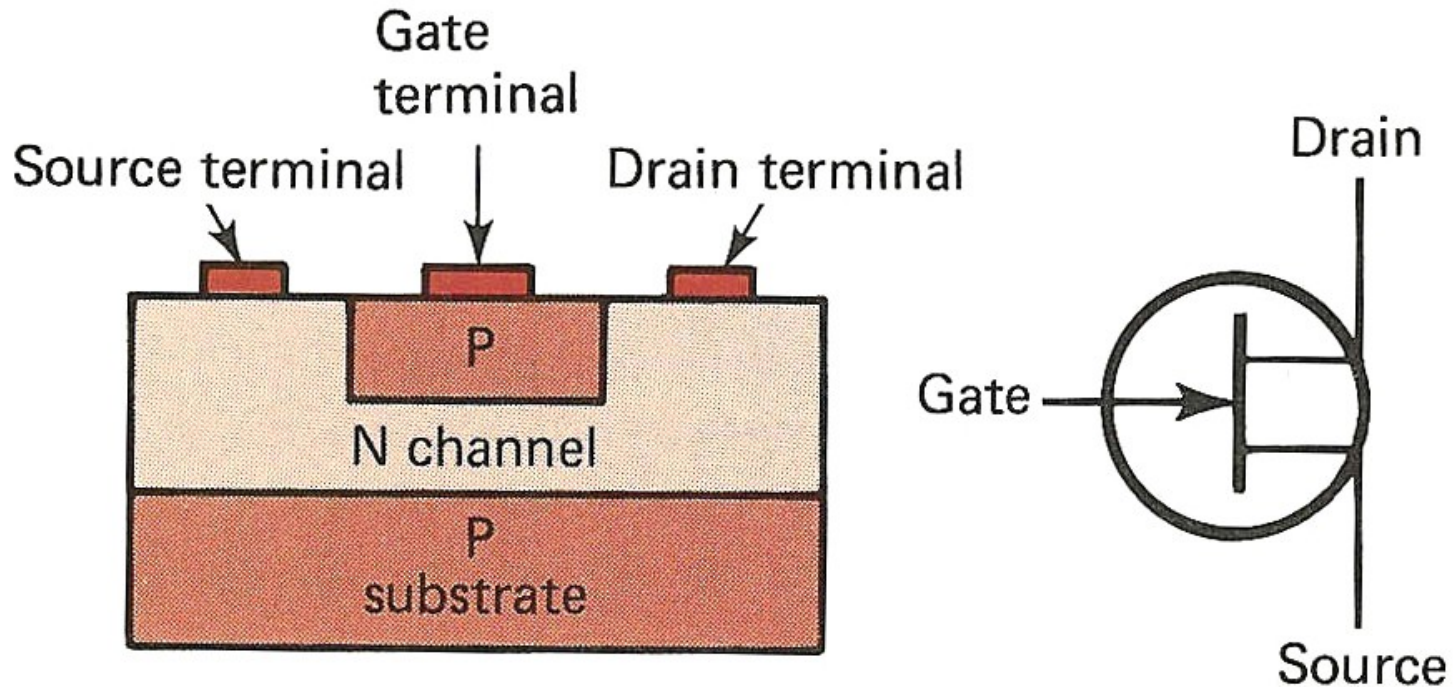
Active
 $V_{CE} \approx \frac{1}{2} V_{CC}$ and $I_C = \frac{1}{2}$ maximum

(c)

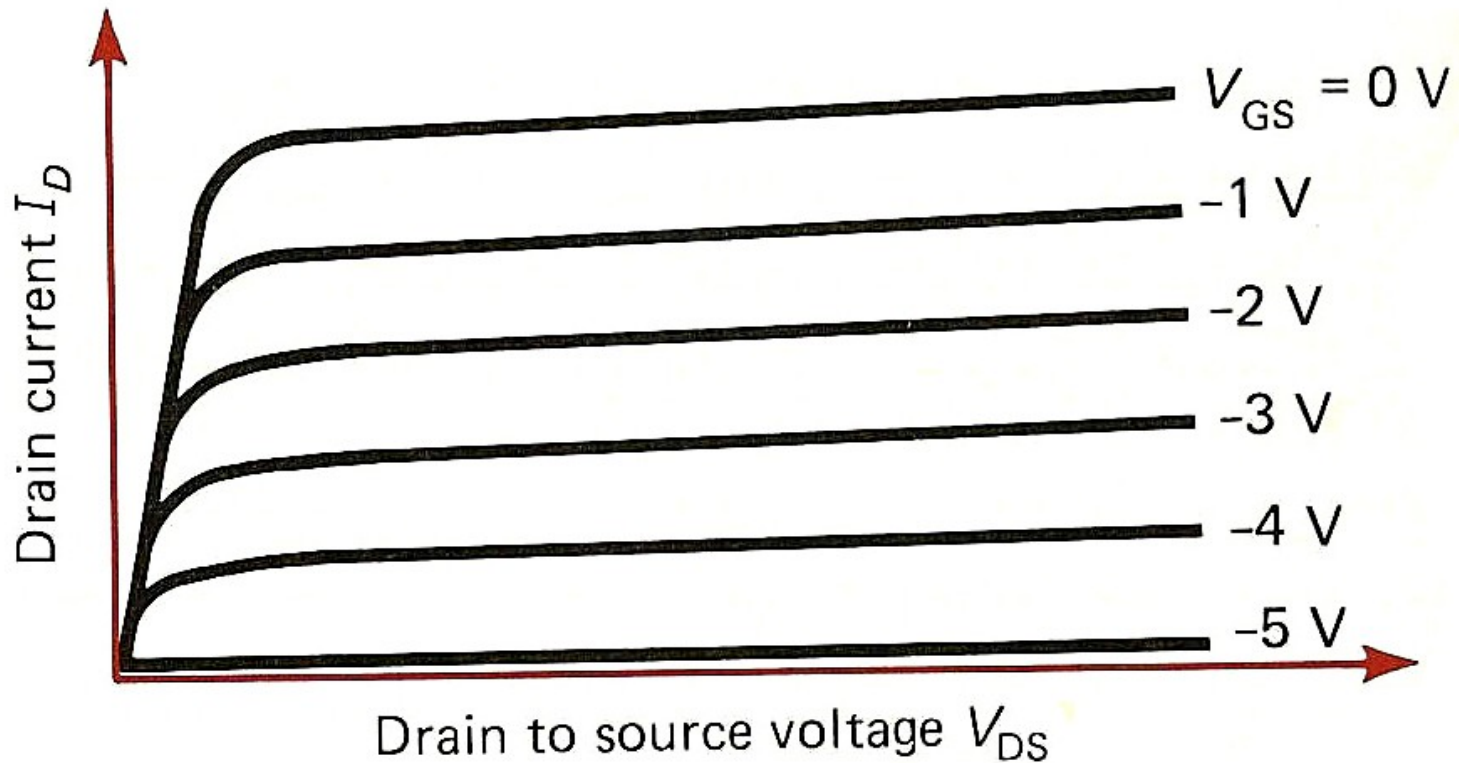


Where you bias the device on the load line establishes its *Q point*.

JFET field effect transistors



JFET characteristic curves

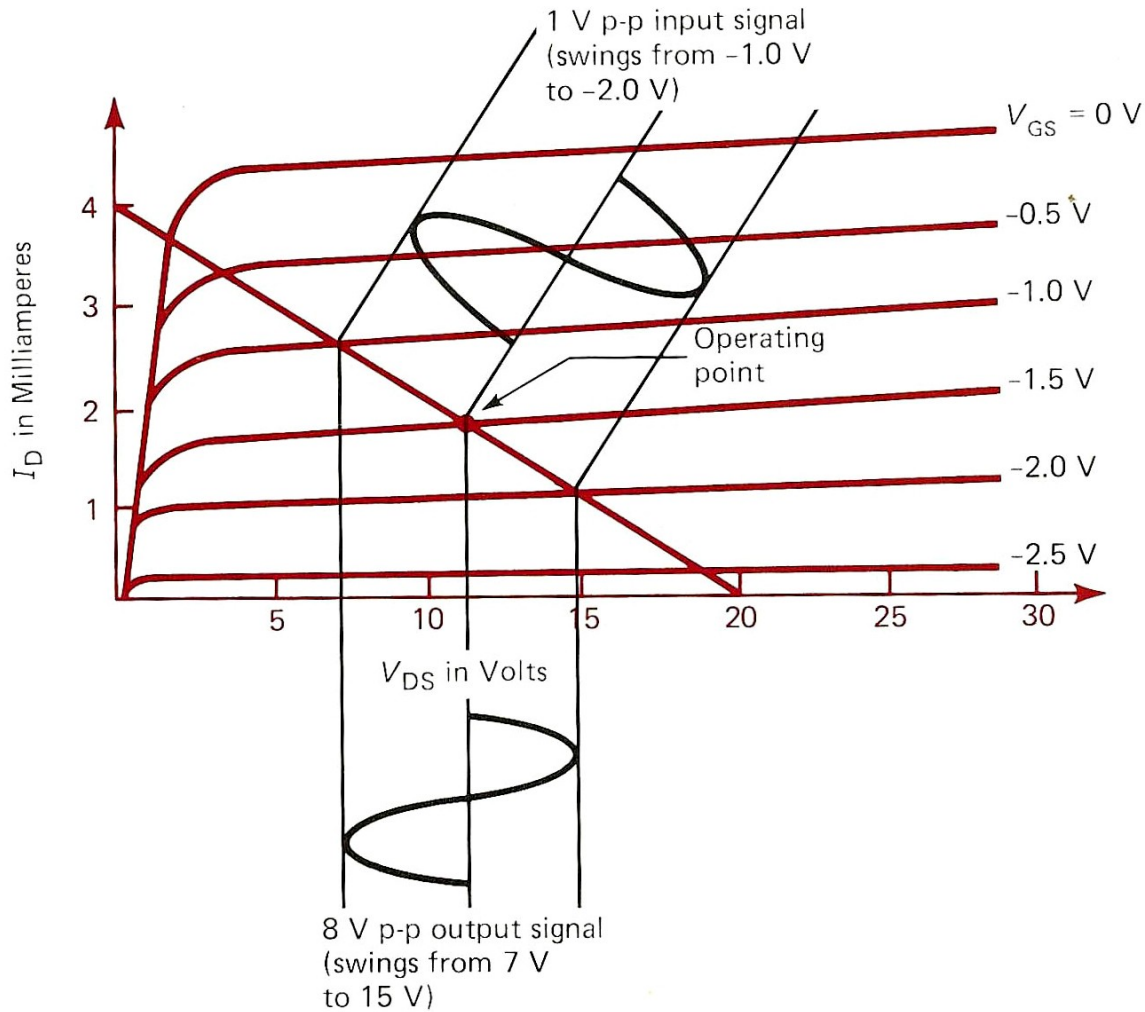


**JFETs operate in what's called the
*depletion mode.***

**In a junction xstr no current flows until
base current is provided.**

**In a JFET current flows until high
enough gate voltage removes carriers
from the channel, and cuts off
conduction.**

JFET drain-family characteristic curves



**Enough for
now!**



Vy 73, AI2Q